

<<有限元方法基础理论>>

图书基本信息

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前言

it is thirty-eight years since the The Finite Element Method in Structural and ContinuumMechanics was first published. This book , which was the first dealing with the finiteelement method , provided the basis from which many further developments occurred.

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内容概要

This book is dedicated to our wives Helen, Mary Lou and Song and our families for their support and patience during the preparation of this book, and also to all of our students and colleagues who over the years have contributed to our knowledge of the finite element method. In particular we would like to mention Professor Eugenio Oniate and his group at CIMNE for their help, encouragement and support during the preparation process.

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